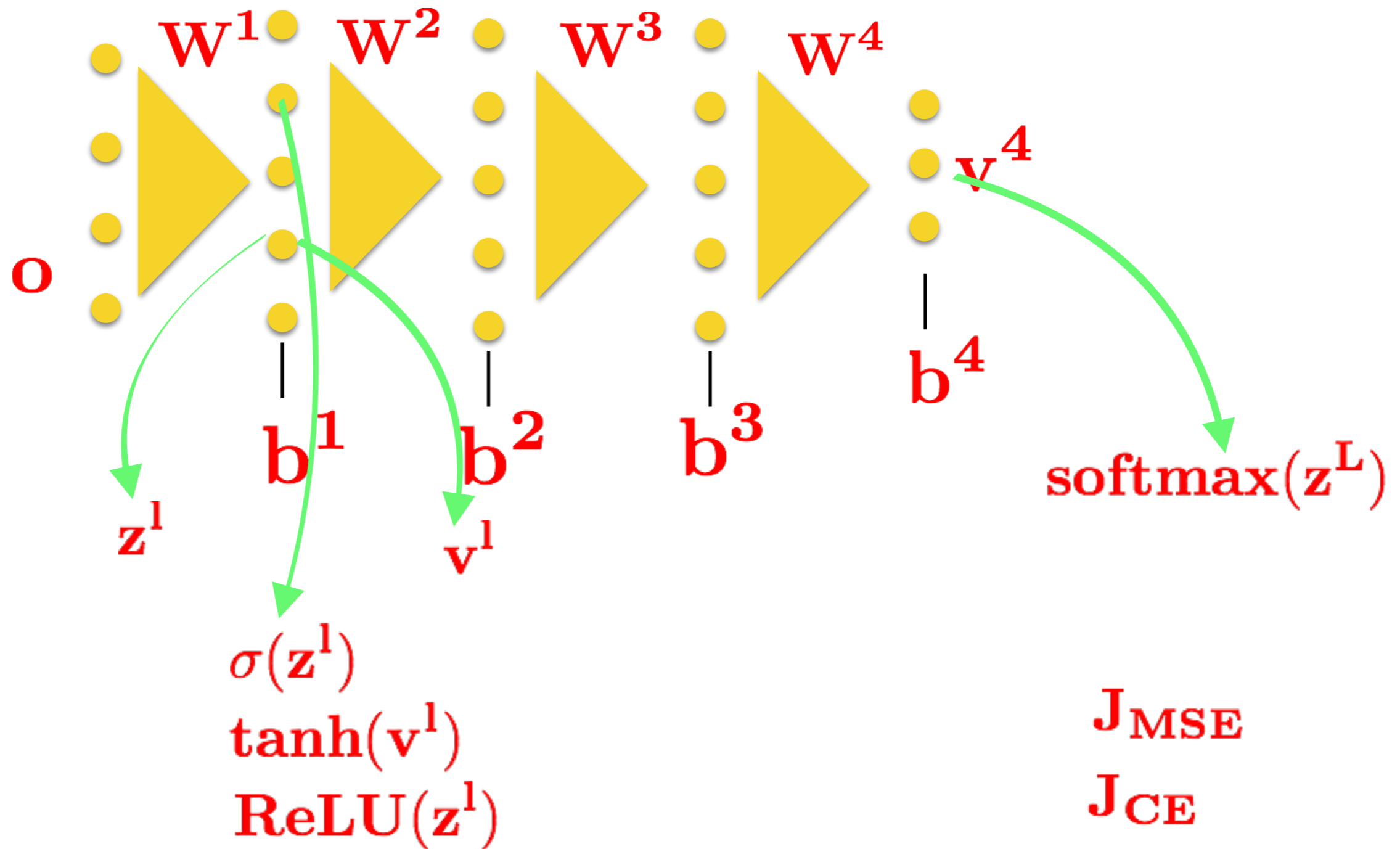


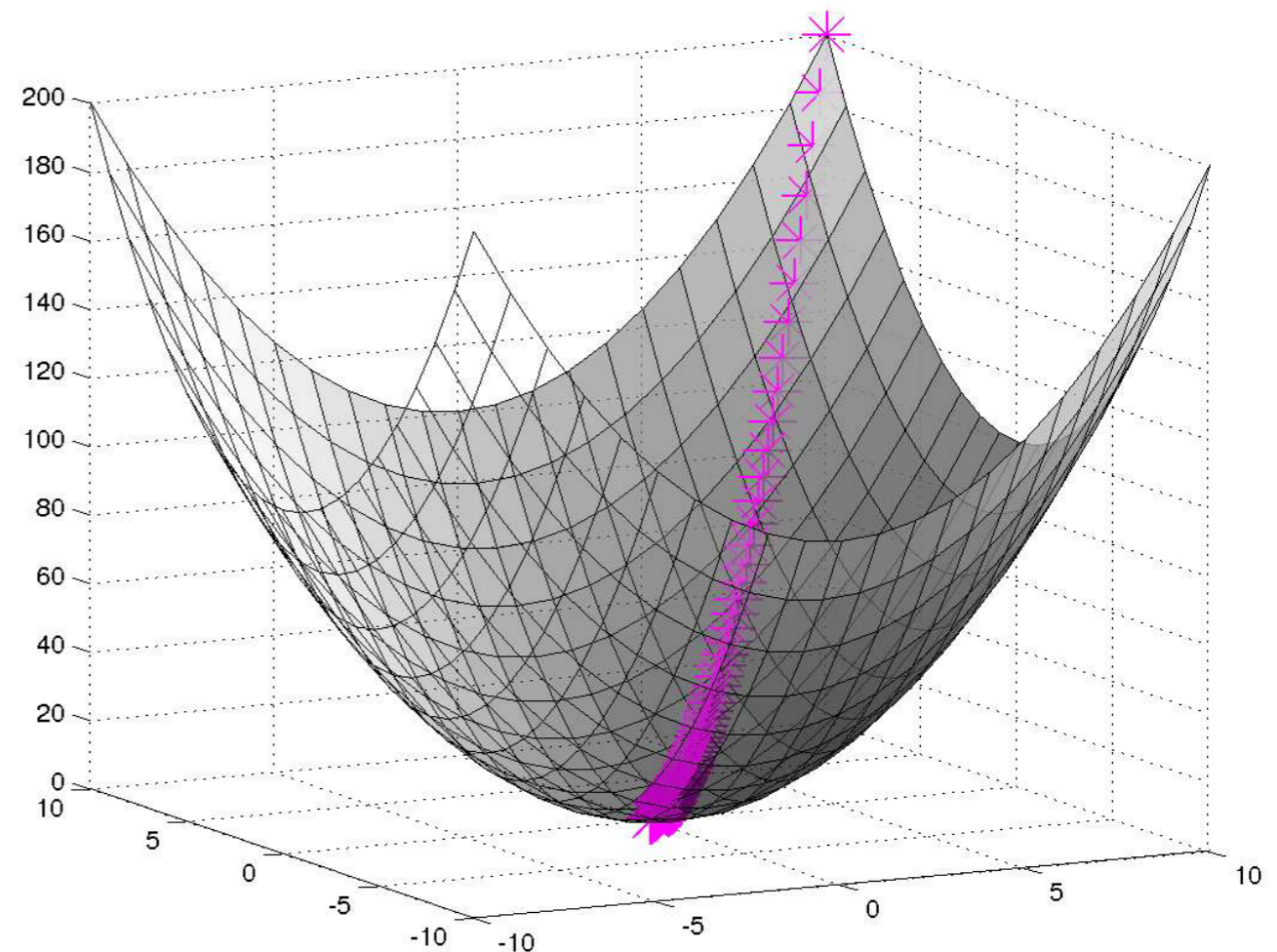
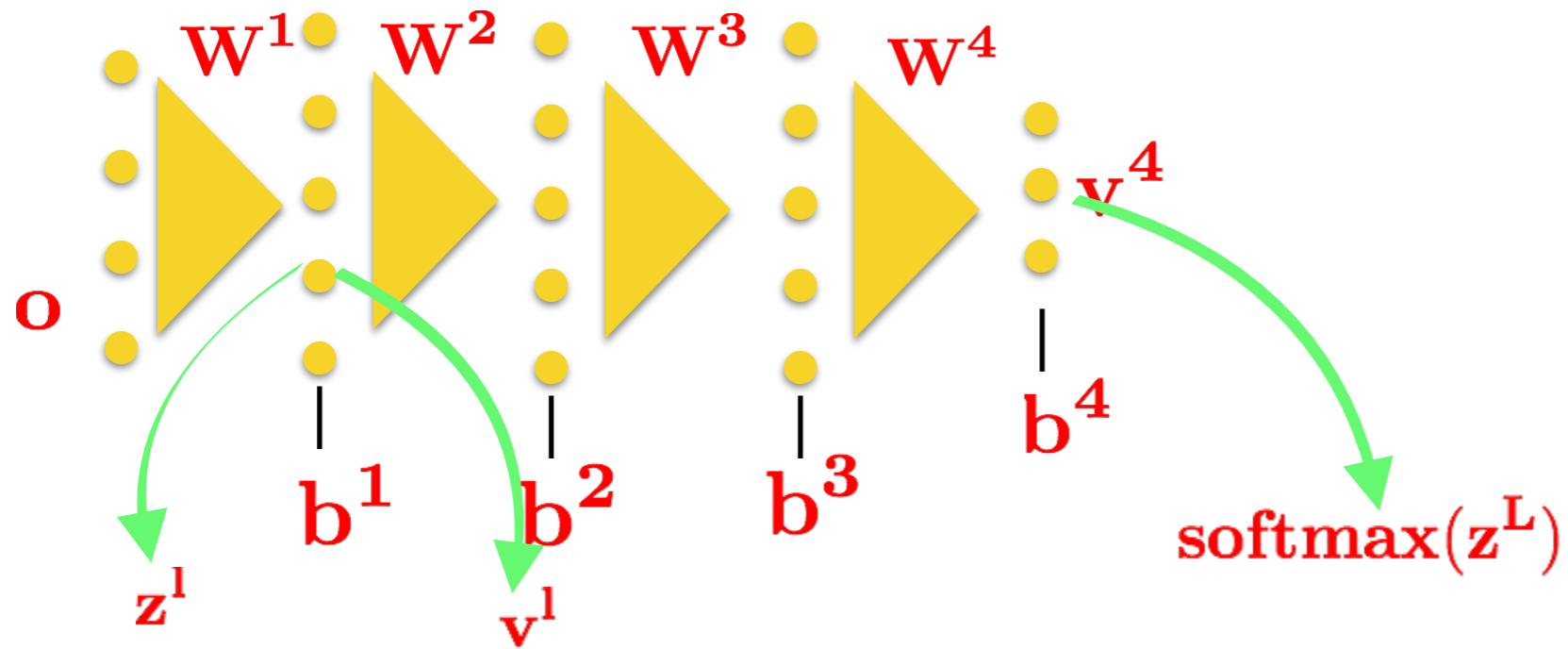
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DNN Definition

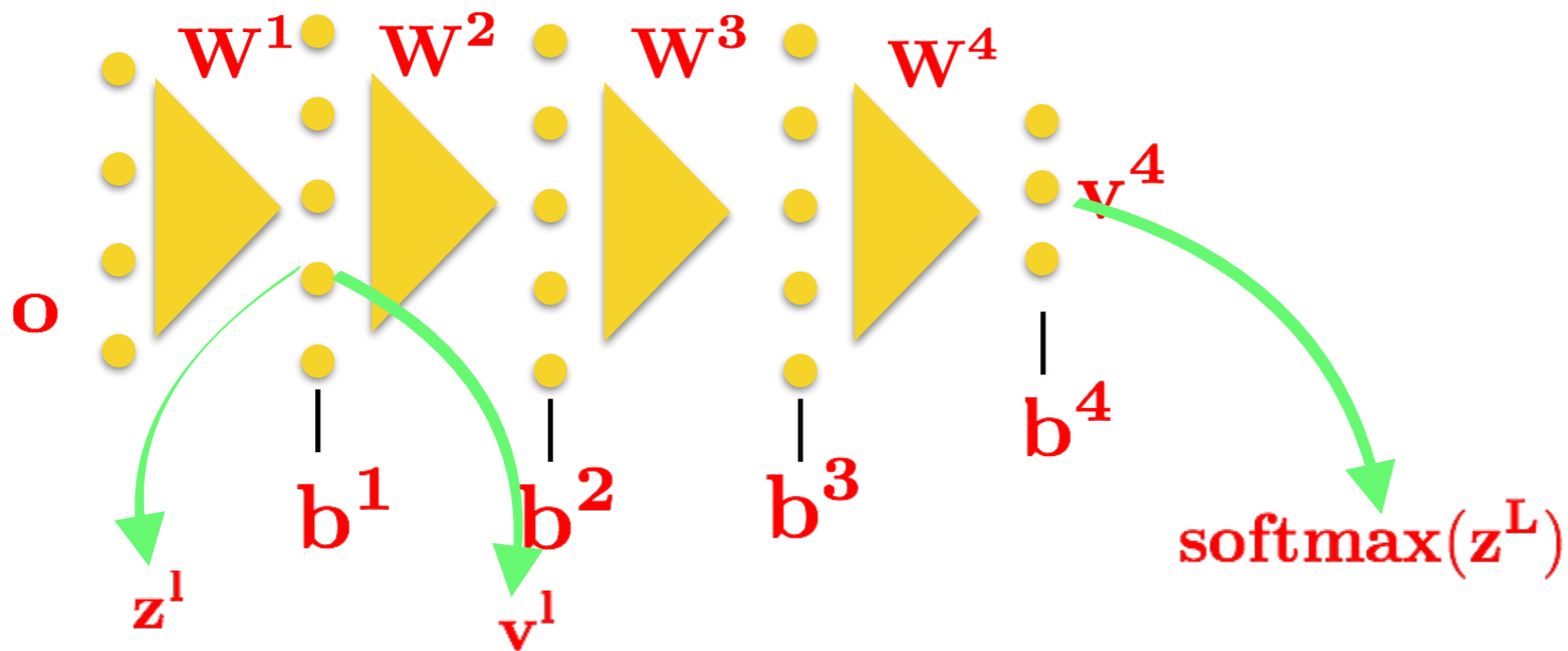


Back Propagation Learning



(Courtesy - D. Vijayasenan, NITK)

Back Propagation Learning



Parameter Update

$$\mathbf{W}_{t+1}^l = \mathbf{W}_{t+1}^l - \epsilon \Delta \mathbf{W}_t^l$$

$$\mathbf{b}_{t+1}^l = \mathbf{b}_{t+1}^l - \epsilon \Delta \mathbf{b}_t^l$$

Back Propagation Learning

Equivalence between MSE and CE based update

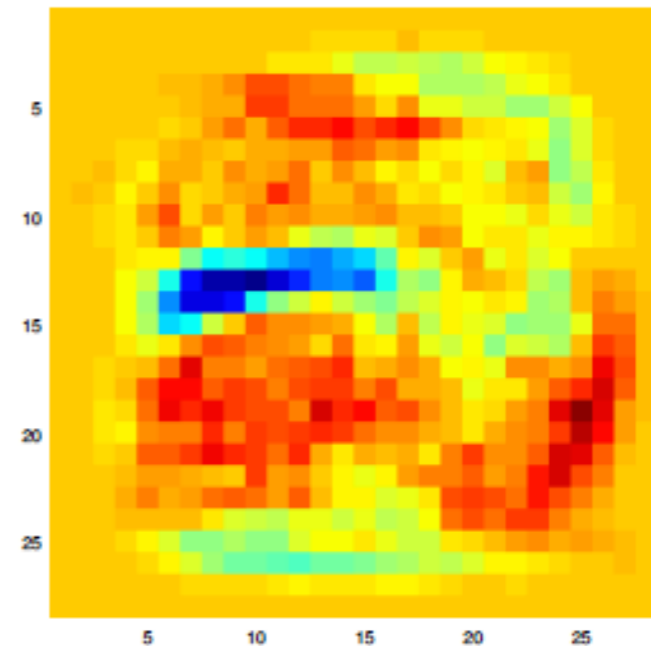
$$\Delta \mathbf{W}_t^L J_{MSE} = \Delta \mathbf{W}_t^L J_{CE} = (\mathbf{e}_t^L) (\mathbf{v}_t^{L-1})^T$$

$$\Delta \mathbf{b}_t^L J_{MSE} = \Delta \mathbf{b}_t^L J_{CE} = (\mathbf{e}_t^L)$$

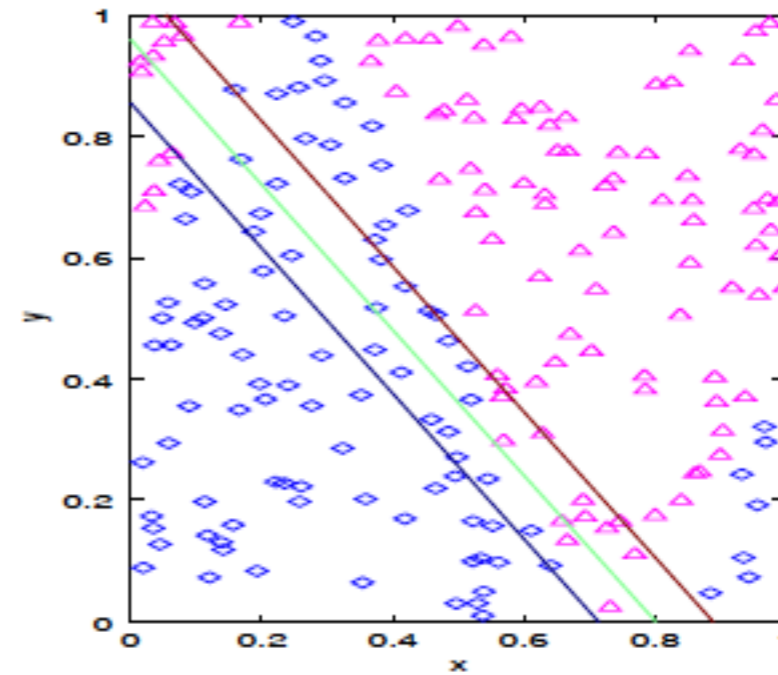
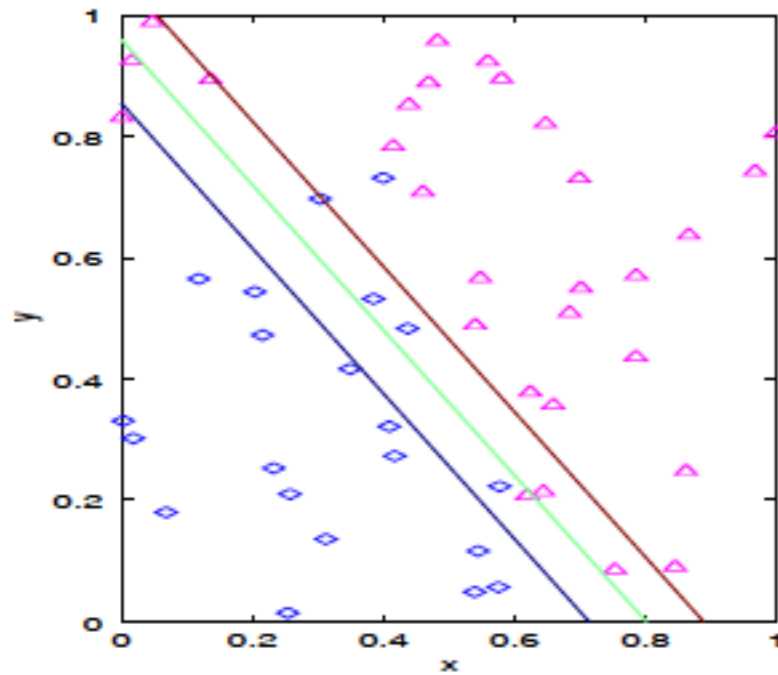
$$\mathbf{e}_t^L = \mathbf{v}_t^L - y$$

Back Propagation Learning

- detect the digit "2" from input image
- 28x28 input images
- 60000 samples
- Trained with a regularization parameter $\lambda = 10^{-4}$

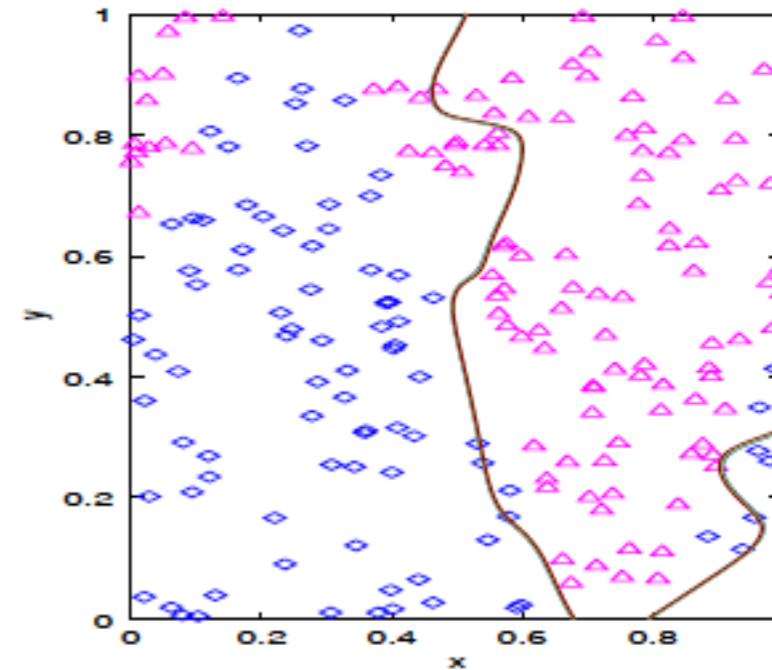
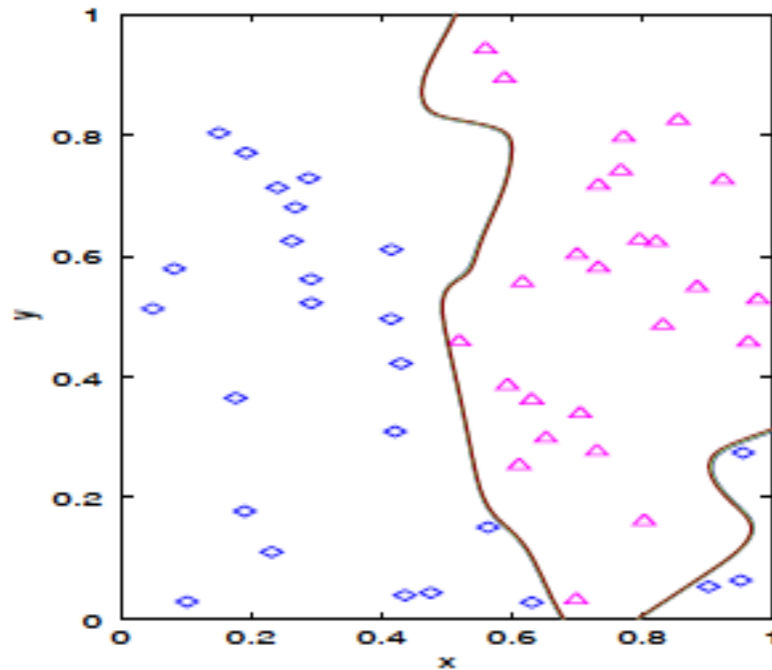


Underfit



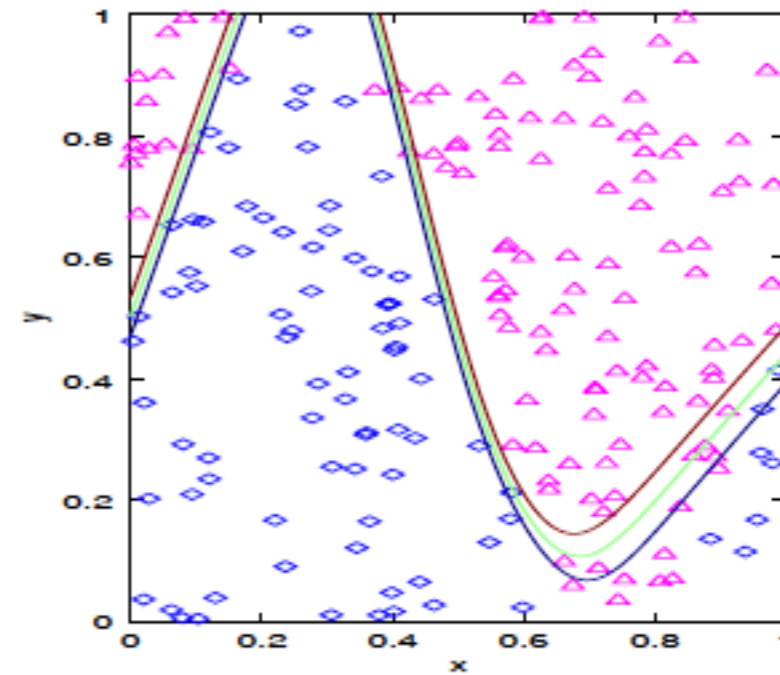
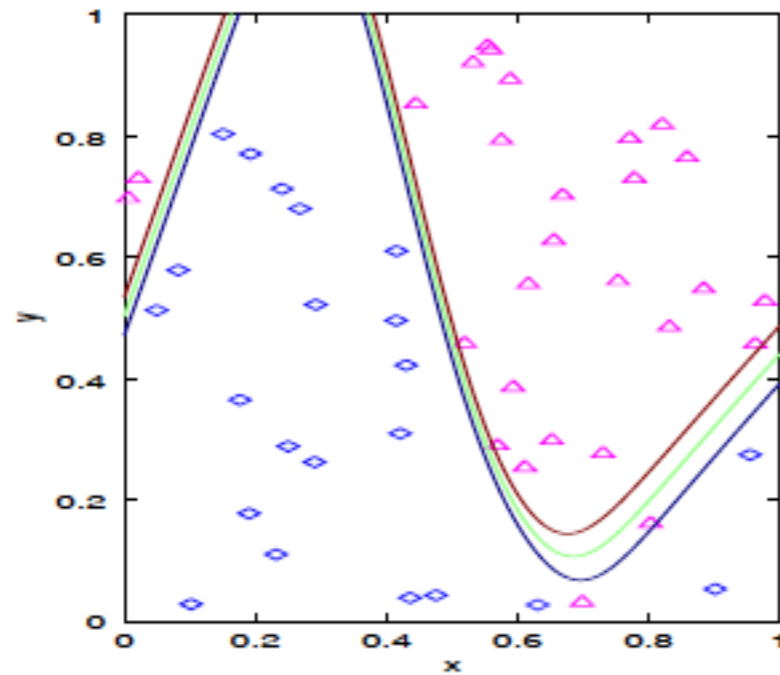
- The model is not able to capture the variability in the data (Linear Model)
- Both the training and testing error are high (15%,20%)
- Try to learn a more complex model – more features, more hidden neurons, decrease regularization
- More data would not help

Overfit



- The model is capturing data as well as accidental variations (100 hidden neurons)
- Training error is too low and testing error is too high (0%, and 16%)
- Try to learn a simpler model – less features, less hidden neurons, increase regularization
- More data would help

Compromise



- Reasonable training and test errors – (4%, 8%)
- Appropriate model – capturing only the global characteristics not details

Other Considerations

- Data Preprocessing
- Model Initialization
- Overfit versus Underfit
 - Weight Decay
 - Dropout
- Batch Size Selection
- Pre-training
 - Restricted Boltzmann Machine